

Validation of the Local QM Product Calculation Prediction Using Pauli Matrices with 3D vectors, Created by Fred Diether Feb. 2022

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In[125]:= m = 20000;
s1 = ConstantArray[0, m];
s2 = ConstantArray[0, m];
a1 = ConstantArray[0, m];
b1 = ConstantArray[0, m];
AA = ConstantArray[0, m];
BB = ConstantArray[0, m];
r1 = ConstantArray[0, m];
r2 = ConstantArray[0, m];
A = ConstantArray[0, m];
B = ConstantArray[0, m];
plotAB = Table[{0, 0}, m];

In[137]:= Do[s = RandomPoint[Sphere[]]; (*Uniform Unit 3D Vectors; Hidden Variable*)
s1[[i]] = s;
s2[[i]] = -s, {i, m}]

In[138]:= Do[a = RandomPoint[Sphere[]]; (*Uniform Unit 3D Vectors*)
a1[[i]] = a;
σa = PauliMatrix[1] * a[[1]] + PauliMatrix[2] * a[[2]] + PauliMatrix[3] * a[[3]];
σs1 = PauliMatrix[1] * s1[[i]][[1]] + PauliMatrix[2] * s1[[i]][[2]] + PauliMatrix[3] * s1[[i]][[3]];
AA[[i]] = Flatten[ $\frac{1}{2} \left( (1 \ 0) \cdot \sigma a \cdot \sigma s1 \cdot \begin{pmatrix} 1 \\ 0 \end{pmatrix} + (0 \ 1) \cdot \sigma a \cdot \sigma s1 \cdot \begin{pmatrix} 0 \\ 1 \end{pmatrix} \right)$ ];
(*Particle - Detector interaction*)
A[[i]] = Sign[Extract[Re[AA[[i]], 1]];
r1[[i]] = Cross[a, s1[[i]], {i, m}]

In[139]:= Do[b = RandomPoint[Sphere[]]; (*Uniform Unit 3D Vectors*)
b1[[i]] = b;
σb = PauliMatrix[1] * b[[1]] + PauliMatrix[2] * b[[2]] + PauliMatrix[3] * b[[3]];
σs2 = PauliMatrix[1] * s2[[i]][[1]] + PauliMatrix[2] * s2[[i]][[2]] + PauliMatrix[3] * s2[[i]][[3]];
(*Particle - Detector interaction*)
BB[[i]] = Flatten[ $\frac{1}{2} \left( (1 \ 0) \cdot \sigma s2 \cdot \sigma b \cdot \begin{pmatrix} 1 \\ 0 \end{pmatrix} + (0 \ 1) \cdot \sigma s2 \cdot \sigma b \cdot \begin{pmatrix} 0 \\ 1 \end{pmatrix} \right)$ ];
B[[i]] = Sign[Extract[Re[BB[[i]], 1]];
r2[[i]] = Cross[b, s2[[i]], {i, m}]

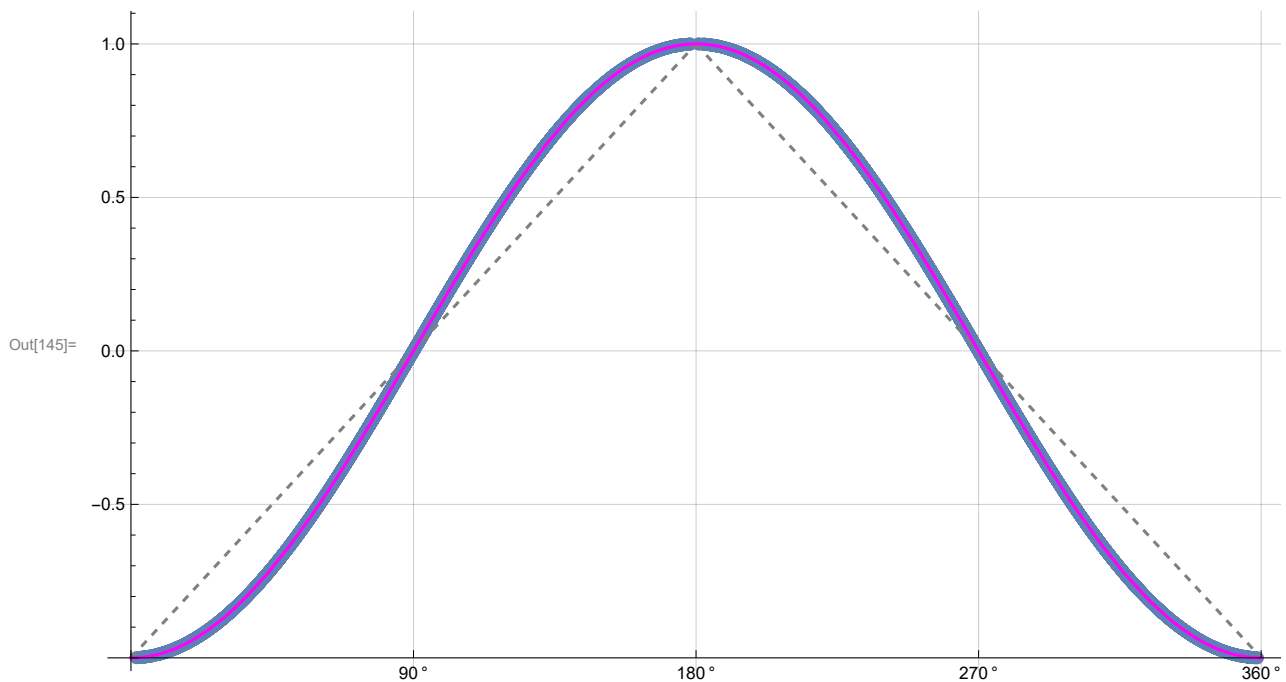
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In[140]:= Do[AB = Extract[AA[[i]] * BB[[i]] + r1[[i]].r2[[i]], 1]; (*Product Calculation*)
   $\phi_a = \text{ArcTan}[a1[[i]][1], a1[[i]][2]]$ ;
   $\phi_b = \text{ArcTan}[b1[[i]][2], b1[[i]][1]]$ ;
  If[ $\phi_a * \phi_b > 0$ , angle = ArcCos[a1[[i]].b1[[i]] / Degree,
    angle = (2  $\pi$  - ArcCos[a1[[i]].b1[[i]]) / Degree];
  plotAB[[i]] = {angle, AB}, {i, m}]

In[141]:= simulation = ListPlot[plotAB, PlotMarkers  $\rightarrow$  {Automatic, Small}, AspectRatio  $\rightarrow$  9 / 16,
  Ticks  $\rightarrow$  {{{90, 90  $^\circ$ }, {180, 180  $^\circ$ }, {0, 0  $^\circ$ }, {270, 270  $^\circ$ }, {360, 360  $^\circ$ }}, Automatic},
  GridLines  $\rightarrow$  Automatic, AxesOrigin  $\rightarrow$  {0, -1.0}];
negcos = Plot[-Cos[x Degree], {x, 0, 360}, PlotStyle  $\rightarrow$  {Magenta}];
p1 = Plot[-1 + 2 x1 Degree /  $\pi$ , {x1, 0, 180}, PlotStyle  $\rightarrow$  {Gray, Dashed}];
p2 = Plot[3 - 2 x2 Degree /  $\pi$ , {x2, 180, 360}, PlotStyle  $\rightarrow$  {Gray, Dashed}];
Show[simulation, p1, p2, negcos]

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In[146]:= AveA = N[Total[A] / m];
AveB = N[Total[B] / m];
Print[" <A> = ", AveA, " <B> = ", AveB];
meanAB = Mean[plotAB[All, 2]];
Print["meanAB = ", meanAB];

<A> = 0.0211 <B> = -0.0111
meanAB = 0.0022129 + 0. i

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